# 3-1 Videos Guide

### 3-1a

- Introduction to multivariable functions
  - o Domain
  - o Graphs

#### Exercises:

• The temperature-humidity index I (or humidex, for short) is the perceived air temperature when the actual temperature is T and the relative humidity is h, so we can write I = f(T, h). The following table of values of I is an excerpt from a table compiled by the National Oceanic & Atmospheric Administration. Using the table, find f(95,70). What is the meaning of f(80, h)?

Relative	humidity	(%)	)
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	relative number (70)								
°F)	T $h$	20	30	40	50	60	70		
Actual Temperature ( $^{\circ} \mathrm{F})$	80	77	78	79	81	82	83		
erat	85	82	84	86	88	90	93		
emp_	90	87	90	93	96	100	106		
T lan:	95	93	96	101	107	114	124		
Act	100	99	104	110	120	132	144		

- Let  $F(x, y) = 1 + \sqrt{4 y^2}$ .
  - (a) Evaluate F(3, 1).
  - (b) Find and sketch the domain of F.
  - (c) Find the range of *F*.

### 3-1b

- Let  $g(x, y, z) = x^3 y^2 z \sqrt{10 x y z}$ . Find and describe the domain of g.
- Find and sketch the domain of the function.

$$f(x,y) = \sqrt[4]{x - 3y}$$

$$g(x,y) = \frac{\ln(2-x)}{1 - x^2 - y^2}$$

$$g(x,y) = \frac{\ln(2-x)}{1-x^2-y^2}$$

#### 3-1c

- Find and sketch the domain of the function.  $f(x, y, z) = \ln(16 - 4x^2 - 4y^2 - z^2)$
- Sketch the graph of the function.

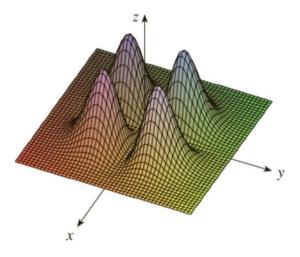
$$f(x,y) = 2 - x^2 - y^2$$

# 3-1d

• Level curves and contour maps

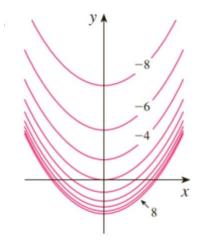
# Exercises:

• Make a rough sketch of a contour map for the function whose graph is shown.



# 3-1e

ullet A contour map of a function is shown. Use it to make a rough sketch of the graph of g.



• Draw a contour map of the function f(x, y) = xy showing several level curves.